

DESIGN, DETAILING, AND CONSTRUCTION OF WSDOT POST-TENSIONED SPLICED-GIRDER BRIDGES IN WASHINGTON STATE

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ABSTRACT

Precast spliced girder bridges have been gaining popularity in recent years. Precast spliced girders allow longer span lengths compared to that of conventional pretensioned girders and are capable of accommodating structures with plan curvature. In addition, precast spliced girder systems can provide economy by reducing construction time and impact to the traveling public. WSDOT has recently developed standard drawings, design charts and computer software to accommodate the use of spliced girders in bridge structures.

Spliced tub girders have successfully been used in the HOV Direct Access Bridge over Interstate 5 in Federal Way, Washington. This was an innovative and unique application of precast spliced girders for a Texas-T configuration with significant plan curvature. Bridges with significant plan curvature are traditionally built with cast-in-place concrete box girders or steel girders but this project demonstrated that precast spliced girders could successfully be used for bridges with plan curvature. Features and capabilities of WSDOT computer software for spliced girder design are also presented in this paper.

Keywords: Prestressed Girder, Long-Span, Spliced-Girders, Span Capability, Curvature

Introduction

A spliced precast girder bridge is defined as a type of superstructure in which precast concrete beam-type elements are joined longitudinally, typically using post-tensioning, to form the complete girder. The resulting superstructure cross-section is a conventional beam-and-slab system with a composite cast-in-place deck. Among the reasons to use spliced girders are reductions in the number of substructure units resulting from increased span lengths, reduction of girder units due to increased girder spacing, and functional and aesthetic improvements by reducing superstructure depth.

Spliced girder bridges have a proven track record, with more than 250 spliced girder bridges having been constructed in the United States, some of them dating back as early as 1952. In spite of their past and continued use, the application of this technique is not widespread. A significant reason for their limited use is the ambiguity in their design and analysis, rooted in the consideration of various issues with which the designer of conventional precast prestressed concrete girders is typically not familiar. In addition, the information available in the literature regarding the design, analysis and construction of spliced girder bridges is limited, as the experience, information, and methods used on these projects have tended to be job-specific, and the knowledge gained has not been made widely available for use on similar projects. This situation is gradually improving.

While the design requirements for spliced girder bridges are not significantly different from conventional prestressed concrete design, the analysis procedure must make additional considerations. Among the most relevant of these considerations are construction stages, multiple stressing stages, and combined effects of prestressing and post-tensioning. Thus, the design of spliced girder bridges involves greater complexity than is required for conventional precast/prestressed concrete girder designs. Designs are generally executed using a computer program or a series of spreadsheets.

Precast prestressed spliced trapezoidal girders have successfully been used in the S. 317th Street HOV Direct Access Bridge over Interstate 5 in Federal Way, Washington. This was an innovative and unique application of precast splice girders for a Texas-T bridge with significant plan curvature. Bridges with significant plan curvature are traditionally built with cast-in-place concrete box girders or steel girders. This project has demonstrated that precast spliced girders can successfully be used for bridges with plan curvature.

To facilitate the design of single span spliced girder bridges, WSDOT has developed standard drawings, design charts, and computer software. The design charts assist planners in selecting appropriate spliced girder configurations when comparing alternatives. The standard drawings greatly reduce the effort of plan preparation. The computer software automates the detailed calculations required for spliced girder design and analysis reducing the overall design effort.

S. 317th Street HOV Direct Access Bridge

The S. 317th Street HOV Direct Access Bridge over Interstate 5 in Federal Way, Washington is a single span Texas-T style spliced girder structure with significant plan curvature. Bridges of this type are traditionally built with cast-in-place concrete box girders or curved steel girders.

Figure 1 shows the subject structure crossing the southbound lanes of Interstate 5. In the final configuration there are four lanes and a gore area beneath the structure. The curvature of the structure can be seen in the right hand side of the image and the tight clearances are readily apparent.



Figure 1 – Southbound I-5 at S. 317th Street, Looking North

Project Overview

The goal of this project was to create a “flyover stop” for regional mass-transit busses and other HOV traffic that provides access to surface streets and a large park and ride facility. Tight right of way constraints forced the access points into the median between northbound and southbound Interstate 5. The direct access structure spans four lanes of southbound Interstate 5.

The structure is 128 feet in overall length. Four spliced trapezoidal tub girders, each consisting of two precast segments of 35 ft and 88 ft in length, make up the main superstructure. The segments were temporarily supported on a shoring tower until the composite deck was placed, the 5 ft wide splices were constructed and the four 22 strand tendons per girder were stressed. In this particular instance, an unusually wide splice was used to match the size of a transverse diaphragm that distributes the reactions from curved edge beams to the main girders.

The elevated T-intersection joins the main span to the interstate access ramps. Turning movements of mass transit vehicles are accommodated by 50 ft radius flairs at the intersections of the span and access ramps. Curved edge beams frame into the diaphragm at the splice location and are supported on an abutment wall at the Eastern pier. This configuration of straight precast girders with curved edge beams framing into the splice provide the same plan configuration as is traditionally achieved with cast-in-place box girders. The framing plan and typical section are shown in Appendix A.

The total bridge cost was \$2,286,264. The precast girders cost \$347,300 and the post-tensioning was \$68,050.

Selection of Structure Type

Precast prestressed concrete bridges have become the preferred type of bridge construction, primarily for reasons of economy, savings in life-cycle costs and their rapid construction. However, the use of precast/prestressed concrete bridges for longer spans has been limited primarily due to transportation constraints. In order to overcome these drawbacks and to have an alternative to compete with steel superstructures, methods to achieve greater span lengths with precast/prestressed girders have become of great interest.

Spliced precast segments were better suited for this structure than conventional single piece precast prestressed girders. An open trapezoidal tub section was chosen for aesthetic reasons. A single piece girder of this type would weight in excess of 200 kips. WSDOT design criteria states:

- All prestressed girders with shipping weights less than 155 kips are of a conventional pre-tension design.
- All prestressed girders with shipping weights between 155 and 200 kips are of a conventional pre-tensioned design with a post-tensioned spliced girder alternative.
- All prestressed girders with a shipping weight in excess of 200 kips are of a post-tensioned spliced girder design.

In this particular application, the girder splice provides a convenient location to attach the curve edge beams.

Design

The design of spliced girder bridges depends on several parameters that significantly influence performance and cost. The most relevant are time dependent effects, splicing locations, construction sequences, girder segment geometries, number of beams, and the arrangement of prestress and post-tensioned reinforcement. Normally most design variables are determined based on the designer's judgment and on a trial and error processes.

The design of precast segments, as well as precast post-tensioned members, must satisfy the requirements of both allowable stress design and ultimate strength using the current

AASHTO LRFD Specifications and the additional criteria detailed in the WSDOT Bridge Design Manual.

The critical construction stages for the S. 317th Street HOV Direct Access Bridge are generally the same as any other structure of similar construction. The first critical stage is when the prestressing strands are released. The actual concrete stresses are determined by summing the stresses due to the girder self-weight and those due to the release of the prestressing strands. Girder top and bottom stresses are checked with the allowable concrete stress limits. Critical stage two occurs when the deck and splice joint are cast. Stresses are determined by summing the stress due to girder self-weight, deck dead load, non-composite dead load, construction live load, and placement of the deck and splice concrete. Top and bottom stresses along the segment are checked with the allowable concrete stress limits. The third critical stage is when the post-tensioning tendons are stressed. Concrete stresses are determined by summing the stresses due to the girder self-weight, deck dead load, non-composite dead load, temporary pier removal, stress on prestressing strands due to post-tensioning, and stress on post-tensioned strands. Stresses must be checked in the girder segments and the splices. The fourth critical stage is unique to this structure. The edge beams for the curved flares are released from their falsework supports. Concrete stresses must be checked for the applicable loading and limits states. Stresses, moments, and shears due to all the previously applied permanent loading along with live load must be considered in the final configuration of the structure. All strength limit states must be satisfied in this stage.

Construction Sequence

There are many aspects that can be altered in the design of spliced girder bridges. Of particular importance for this type of construction are the post-tensioning sequence and the sequence of construction stages. The relative sequence of post-tensioning and deck placement has a profound effect on the design of the structure. When post-tensioning occurs prior to deck placement, higher strength concrete is needed for the splice elements. Cast-in-place concrete strength is generally limited to 4 KSI in rural areas and can be as high as 6 KSI in urban areas. The strength of the splice concrete can limit the amount of post-tensioning and ultimately the span length.

When post-tensioned after deck placement, splice concrete stress requirements are reduced and compression is imparted into the deck. The demand on the prestressing strands is increased because the noncomposite girder segments must carry the weight of the deck concrete before it cures. Though the performance and durability of the deck is improved by the compressive stresses due to post-tensioning, future deck replacement scenarios must be carefully studied.

The post-tensioning was applied after deck placement for this particular structure. The primary reason for choosing this construction sequence was the limitations on the splice concrete strength. The required splice concrete strength was 6 KSI.

Prestress Losses

There are several methods available for estimating time dependent prestress losses. Some of these methods are cumbersome and require in-depth time-dependent analysis to account for construction stages and materials properties. Estimating time-dependent prestress losses for simple span post-tensioned spliced girders are greatly simplified by virtue of the fact that effects of continuity are not present.

Regardless of the method of predicting time dependent losses, the sequence of application of prestress forces into the girder must be accounted for. The accuracy of prestress losses for spliced-girders required detailed analysis of the time-dependent effects of creep, shrinkage and relaxation, as well as anchor set, wobble and curvature losses in the post-tensioning tendons. Additional elastic shortening loss in the prestressing strands occurs as the post-tensioning tendons are stressed. Creep losses are affected for both stages of prestress because additional stresses are present to cause creep at the centroid of the prestressing strands or tendons.

The refined method of predicting losses presented in the AASHTO LRFD specifications can be extended to single span spliced-girder bridges where the post-tensioning is done in a single stage. The loss prediction formulas are summarized in Appendix B.

Detailing

The precast segments are minimally prestressed. The prestressing counteracts the dead load stresses from self-weight and stresses during handling and shipping. If the deck is placed before post-tensioning, the prestressing must counteract this dead load as well. Prestressing strands are straight without any draping since they will interfere with the post-tensioning ducts. Strands may be debonded to control concrete stresses. Strands are placed in the top and bottom flanges of girder sections and are fully stressed to $0.75f_{pu}$. Top strands are generally temporary and serve only to control stresses and improve stability during handling and shipping. The number of required prestressing strands is selected to provide enough prestress in the precast beam not to have concrete stresses exceed allowable limits at release and upon placing the concrete deck.

A parabolic post-tensioning strand layout counteracts the bending moment demands for the simply supported beam. The number of post-tensioning tendons is selected to provide enough pre-compression to resist live and dead loads when they are transferred from the individual girder segments to the full simple span. Multiple strand tendons are assumed and the distance between each duct varies along the girder length. Post-tensioning design requirements are evaluated at the middle of each segment and at the center of the splice joint.

The webs of the segments are thickened to accommodate the post-tensioning anchorage hardware as well as the bursting stresses and shear forces at the ends of the girder.

Splices are typically two feet wide and are typically located at approximately the $\frac{1}{4}$ and $\frac{3}{4}$ points (when three segments are used), but can be shifted to accommodate traffic opening, stream crossing, or other such requirements. For this structure, a single splice at the one-third

point was used to accommodate traffic requirements. The size of the splice minimizes the amount of cast-in-place concrete while allowing ample room to splice the ducts and adjust for minor variations in tendon profile without introducing angle points which will result in increased friction loss.

Experience has show that matching the one inch cover of the precast segments in the cast-in-place splices is problematic. Precasters make use of external form vibrators to achieve good consolidation of the concrete. The splices are generally formed with plywood and rely on manually operated stingers to vibrate the concrete. With one inch cover, it is difficult to get the vibrator between the form and reinforcement and the result is often poorly consolidated concrete. To alleviate this problem, two inches of cover is provided at splice locations.

A set of standard spliced girder drawings for a WSDOT trapezoidal spliced tub is presented in Appendix C.

Design Tools

Precast concrete bridge systems are the preferred type of structure in Washington State. WSDOT has developed a turnkey system to make the design and analysis of precast and spliced girder bridge systems fast and efficient. In addition to the standard details and drawings described above, WSDOT has developed span capability charts and computer software.

Span Capability Charts

When determining the initial size and type of a structure, the combinations are vast. Span capability charts assist in preliminary design by listing maximum span lengths, concrete strength requirements, and prestress and post-tensioning requirements for various girder types and spacing configurations. The span capability chart for WSDOT trapezoidal tub girders is showing in Appendix D.

Computer Software

The spliced-girder analysis and design may be done using any program with time-dependent analysis capabilities. The program must be capable of analyzing a structure that is constructed in many stages. In addition to the section properties and applied loads, the program should allow time dependent material properties, prestressing tendons, and multiple erection phases at different times.

To facilitate the design of prestressed and spliced-girder bridges WSDOT has developed the PGSuper and PGSplice computer programs. PGSuper for the design of simple span pretensioned girder bridges. PGSplice is for the design of simple span post-tensioned spliced girder bridges. Both programs feature support for the AASHTO LRFD Bridge Design Specifications and WSDOT BDM. PGSplice analyzes simple span spliced girders for strength and service limit states for flexure and shear. It provides camber and deflection analysis as well as girder segment stability analysis for lifting and shipping. Detailed reports

supporting every calculation are generated. The software has a fully customizable library for any I- or U-shaped beams and allows customization of design criteria.

WSDOT software tools are part of its open source software effort, the Alternate Route Project. This software may be freely downloaded from the WSDOT web site at <http://www.wsdot.wa.gov/eesc/bridge>.

Conclusion

Washington State Department of Transportation continues to innovate in the application of precast girder technology. Through the use of turnkey design systems, standardization and innovation, the economies and possibilities of precast concrete are virtually endless. The S. 317th Street HOV Direct Access Bridge project illustrates another opportunity to use the durability, constructability and aesthetic appeal of precast concrete.

Appendix B – Prestress Losses

The refined method of predicting losses presented in the AASHTO LRFD specifications can be extended to single span spliced-girder bridges where the post-tensioning is done in a single stage. The loss prediction formulas for post-tensioning that is applied before deck placement are summarized below.

Prestressing

Relaxation

Initial

$$\Delta f_{pR0} = \frac{\log(24t_i)}{40} \left(\frac{f_{pj}}{f_{py}} - 0.55 \right) f_{pj}$$

Before Post-Tensioning

$$\Delta f_{pR1_{pr}} = \frac{t_{pt} - t_i}{t_d - t_i} \Delta f_{pR1}$$

$$\Delta f_{pR1} = \frac{f_{pt}}{K_L} \left(\frac{f_{pt}}{f_{py}} - 0.55 \right)$$

$$f_{pt} = f_{pj} - \Delta f_{pR0} - \Delta f_{pES1}$$

Post-Tensioning to Deck Placement

$$\Delta f_{pR1_{pd}} = \left(\frac{t_d - t_{pt}}{t_d - t_i} \right) \Delta f_{pR1}$$

After Deck Placement

$$\Delta f_{pR1_{pd}} = \left(\frac{t_d - t_{pt}}{t_d - t_i} \right) \frac{f_{pt}}{K_L} \left(\frac{f_{pt}}{f_{py}} - 0.55 \right)$$

$$f_{pt} = f_{pj} - \Delta f_{pF} - \Delta f_{pA} - \Delta f_{pES3}$$

Elastic Shortening/Gain

Initial

$$\Delta f_{pES1} = \frac{E_p}{E_{ci}} f_{cgps}$$

$$f_{cgps} = \frac{F_{ps}}{A_g} + \frac{F_{ps} e_{ps}^2}{I_g} - \frac{M_g e_{ps}}{I_g}$$

Due to Post-Tensioning

$$\Delta f_{pES2} = \frac{E_p}{E_c} f_{cgps2} \Delta f_{pES2}$$

$$f_{cgps2} = \frac{F_{pt}}{A_g} + \frac{F_{pt} e_{pt} e_{ps}}{I_g} - \frac{M_{assembly} e_{ps}}{I_g}$$

Due to Deck Placement

$$\Delta f_{pED1} = \frac{E_p}{E_c} \Delta f_{cd1}$$

$$\Delta f_{cd1} = - \frac{(M_{slab} + M_{diaphragm} + M_{other1}) e_{ps}}{I_g}$$

Due to Superimposed Dead Loads

$$\Delta f_{pED2} = \frac{E_p}{E_c} \Delta f_{cd2}$$

$$\Delta f_{cd2} = -\frac{(M_{barrier} + M_{overlay} + M_{other2})e_{cps}}{I_c}$$

Shrinkage

Shrinkage of Girder before Post-Tensioning

$$\Delta f_{pSR_{pt}} = \varepsilon_{bip_{pt}} E_p K_{id}$$

$$K_{id} = \frac{1}{1 + \frac{E_p}{E_{ci}} \frac{A_{ps}}{A_g} \left(1 + \frac{A_g e_{ps}^2}{I_g}\right) [1 + 0.7\psi_b(t_f, t_i)]}$$

Shrinkage of Girder between Post-Tensioning and Deck Placement

$$\Delta f_{pSR_{pd}} = \varepsilon_{bptd} E_p K_{id}$$

$$\varepsilon_{bptd} = \varepsilon_{bid} - \varepsilon_{bip_{pt}} = k_{vs} k_{hs} k_f [k_{td}(t_d) - k_{td}(t_{pt})] 0.48 \times 10^{-3}$$

Shrinkage of Girder after Deck Placement

$$\Delta f_{pSD} = \varepsilon_{bdf} E_p K_{df}$$

$$K_{df} = \frac{1}{1 + \frac{E_p}{E_{ci}} \frac{A_{ps}}{A_c} \left(1 + \frac{A_c e_{cps}^2}{I_c}\right) [1 + 0.7\psi_b(t_f, t_i)]}$$

Shrinkage of Deck

$$\Delta f_{pSS} = \frac{E_p}{E_c} \Delta f_{cdf} K_{df} [1 + 0.7\psi_b(t_f, t_d)]$$

$$\Delta f_{cdf} = \frac{\varepsilon_{ddf} A_d E_{cd}}{[1 + 0.7\psi_b(t_f, t_d)]} \left(\frac{1}{A_c} + \frac{e_{cps} e_d}{I_c} \right)$$

$$\varepsilon_{ddf} = \varepsilon(t_f - t_d)$$

Creep

Creep of Girder before Post-Tensioning

$$\Delta f_{pCR_{pt}} = \frac{E_p}{E_{ci}} f_{cgps} \psi_b(t_{pt}, t_i) K_{id}$$

Creep of Girder between Post-Tensioning and Deck Placement

$$\Delta f_{pCR_{pd}} = \frac{E_p}{E_{ci}} f_{cgps} [\psi_b(t_d, t_i) - \psi_b(t_{pt}, t_i)] K_{id}$$

$$K_{id} = \frac{1}{1 + \frac{E_p}{E_{ci}} \frac{A_{ps}}{A_g} \left(1 + \frac{A_g e_{ps}^2}{I_g}\right) [1 + \chi \psi_b(t_d, t_i)]}$$

Creep of Girder after Deck Placement

$$\Delta f_{pCD} = \frac{E_p}{E_{ci}} f_{cgps} [\psi_b(t_f, t_i) - \psi_b(t_d, t_i)] K_{df} + \frac{E_p}{E_c} \Delta f_{cd} \psi_b(t_f, t_d) K_{df} \geq 0.0$$

$$\Delta f_{cd} = \Delta f_{cd1} + \Delta f_{cd2}$$

Creep of Girder Concrete caused by Post-Tensioning

$$\Delta f_{pCD2} = \frac{E_p}{E_c} f_{cgps2} \psi_b(t_f, t_{pt}) - \frac{E_p}{E_c} \frac{A_{pt}}{A_g} \left(1 + \frac{A_g e_{pt} e_{ps}}{I_g} \right) \left[1 + \chi \psi_b(t_f, t_{pt}) \right] \Delta f_{pCD3} \geq 0$$

Total Prestress Loss

Total Loss

$$\Delta f_{pT} = \Delta f_{pI} + \Delta f_{pLT}$$

Long Term Losses

$$\Delta f_{pLT} = \Delta f_{pPT} + \Delta f_{pDeck} + \Delta f_{pFinal}$$

Initial Losses

$$\Delta f_{pI} = \Delta f_{pR0} + \Delta f_{pES1}$$

Losses from Initial to PT

$$\Delta f_{pPT} = \Delta f_{pES2} + \Delta f_{pCRipt} + \Delta f_{pSRipt} + \Delta f_{pR1ipt} + \Delta f_{pCD2}$$

Losses from PT to Deck Placement

$$\Delta f_{pDeck} = \Delta f_{pED1} + \Delta f_{pCRptd} + \Delta f_{pSRptd} + \Delta f_{pR1ptd}$$

Losses from Deck Placement to Final

$$\Delta f_{pFinal} = \Delta f_{pED2} + \Delta f_{pCD} + \Delta f_{pSD} + \Delta f_{pSS} + \Delta f_{pR2}$$

Post-Tension

Friction

Friction

$$\Delta f_{pF} = f_{pj} \left(1 - e^{-(kx + \mu\alpha)} \right)$$

Anchor Set

Anchor Set

$$\Delta f_{pA} = \frac{2x \Delta f_{pF}}{L}$$

$$x = \sqrt{\frac{\Delta_{set} E_p L}{\Delta f_{pF}}}$$

Elastic Shortening/Gain

Initial

$$\Delta f_{pES3} = \frac{N-1}{2N} \frac{E_p}{E_c} f_{cgpt}$$

$$f_{cgpt} = \frac{F_{pt}}{A_g} + \frac{F_{pt} e_{pt}^2}{I_g} - \frac{M_{assembly} e_{pt}}{I_g}$$

Due to Deck Placement

$$\Delta f_{pED3} = \frac{E_p}{E_c} \Delta f_{cd3}$$

$$\Delta f_{cd3} = - \frac{(M_{slab} + M_{diaphragm} + M_{other1}) e_{pt}}{I_g}$$

Due to Superimposed Dead Loads

$$\Delta f_{pED4} = \frac{E_p}{E_c} \Delta f_{cd4}$$

$$\Delta f_{cd4} = - \frac{(M_{barrier} + M_{overlay} + M_{other2}) e_{cpt}}{I_c}$$

Shrinkage

Shrinkage of Girder between Post-Tensioning and Deck Placement $\Delta f_{pSR} = \varepsilon_{bptd} E_p K_{id}$

$$\varepsilon_{bptd} = \varepsilon_{bid} - \varepsilon_{bipt} = k_{vs} k_{hs} k_f [k_{id}(t_d) - k_{id}(t_{pt})] 0.48 \times 10^{-3}$$

$$K_{id} = \frac{1}{1 + \frac{E_p}{E_{ci}} \frac{A_{pt}}{A_g} \left(1 + \frac{A_g e_{pt}^2}{I_g}\right) [1 + 0.7 \psi_b(t_f, t_i)]}$$

Shrinkage of Girder after Deck Placement

$$\Delta f_{pSD} = \varepsilon_{bdf} E_p K_{df}$$

$$K_{df} = \frac{1}{1 + \frac{E_p}{E_{ci}} \frac{A_{pt}}{A_g} \left(1 + \frac{A_g e_{pt}^2}{I_g}\right) [1 + 0.7 \psi_b(t_f, t_i)]}$$

Shrinkage of Deck

$$\Delta f_{pSS} = \frac{E_p}{E_c} \Delta f_{cdf} K_{df} [1 + \psi_b(t_f, t_d)]$$

$$\Delta f_{cdf} = \frac{\varepsilon_{ddf} A_d E_{cd}}{[1 + \psi_b(t_f, t_d)]} \left(\frac{1}{A_c} + \frac{e_{cpt} e_d}{I_c} \right)$$

$$\varepsilon_{ddf} = \varepsilon(t_f - t_d)$$

Creep

Creep of Girder between Post-Tensioning and Deck Placement $\Delta f_{pCR_{pd}} = \frac{E_p}{E_c} f_{cgp1} \psi_b(t_d, t_{pt}) K_{ipt}$

$$K_{ipt} = \frac{1}{1 + \frac{E_p}{E_{ci}} \frac{A_{pt}}{A_g} \left(1 + \frac{A_g e_{pt}^2}{I_g}\right) [1 + \chi \psi_b(t_d, t_i)]}$$

Creep of Girder after Deck Placement

$$\Delta f_{pCD} = \frac{E_p}{E_{ci}} f_{cgp2} [\psi_b(t_f, t_i) - \psi_b(t_d, t_i)] K_{df} + \frac{E_p}{E_c} \Delta f_{cd} \psi_b(t_f, t_d) K_{df} \geq 0.0$$

$$\Delta f_{cd} = \Delta f_{cd3} + \Delta f_{cd4}$$

Creep of Girder Concrete caused by Prestressing

$$\Delta f_{pCD3} = \frac{E_p}{E_{ci}} f_{cgp2} [\psi_b(t_f, t_i) - \psi_b(t_{pt}, t_i)] - \frac{E_p}{E_{ci}} \frac{A_{ps}}{A_g} \left(1 + \frac{A_g e_{ps} e_{pt}}{I_g}\right) [1 + \chi \psi_b(t_f, t_i)] \Delta f_{pCD2} \geq 0$$

Relaxation

Before Deck Placement

$$\Delta f_{pR1_{pd}} = \left(\frac{t_d - t_{pt}}{t_d - t_i} \right) \frac{f_{pt}}{K_L} \left(\frac{f_{pt}}{f_{py}} - 0.55 \right)$$

$$f_{pt} = f_{pj} - \Delta f_{pF} - \Delta f_{pA} - \Delta f_{pES3}$$

After Deck Placement

$$\Delta f_{pR2} = \Delta f_{pR1}$$

Total Post-Tension Loss

Total Loss

$$\Delta f_{pT} = \Delta f_{pI} + \Delta f_{pLT}$$

Initial Loss

$$\Delta f_{pI} = \Delta f_{pF} + \Delta f_{pA} + \Delta f_{pES3}$$

Long Term Loss

$$\Delta f_{pLT} = \Delta f_{pDeck} + \Delta f_{pFinal}$$

PT to Deck Placement

$$\Delta f_{pDeck} = \Delta f_{pED3} + \Delta f_{pSRptd} + \Delta f_{pCRptd} + \Delta f_{pR1ptd}$$

Deck Placement to Final

$$\Delta f_{pFinal} = \Delta f_{pED4} + \Delta f_{pSD} + \Delta f_{pSS} + \Delta f_{pCD} + \Delta f_{pCD3} + \Delta f_{pR2}$$

Appendix C – WSDOT Standard Spliced Girder Details

Appendix C

BRIDGE DESIGN MANUAL

Prestressed Concrete Superstructure

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Trapezoidal Tub Spliced Girder
Details 1 of 5

PRECAST LONGITUDINAL HALF-SECTION
SHOWING POST-TENSIONING CABLE PATHS
* MEASURED BEFORE POST-TENSIONING.
** CONTRACTOR MAY ELECT TO CAST THE FT GIRDER IN ONE PIECE IF THE SHIPPING WEIGHT IS LESS THAN 100 KIPS & THE SHIPPING ROUTE ALLOWS THE SHIPMENT OF LONG GIRDERS.

OPEN HOLE DETAIL
BOTTOM HOLE AT END TYPE "B" ONLY

BOTTOM SLAB DRAIN HOLE

STRAND LOCATION DETAIL

DUCT SPLICE DETAIL

STRAND PATTERN @ 1/4 SPAN

POST-TENSIONING TABLE

SPAN	GIRDER	STRAND DIAMETER IN.	PRESTRESSING LOAD PER WEB TOTAL KIPS JACKING	PRESTRESSING LOAD AFTER SEATING	E_s (IN.)	E_s (IN.)	E_s (IN.)

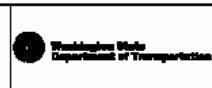
POST-TENSIONING NOTES

- THE CAST-IN-PLACE CONCRETE IN DECK SLAB SHALL BE CLASS 4000. THE MINIMUM COMPRESSIVE STRENGTH OF THE CAST-IN-PLACE CONCRETE AT THE SET JOINT AT THE TIME OF POST-TENSIONING SHALL BE 75% IN.
- THE MINIMUM PRESTRESSING LOAD AFTER SEATING AND THE MINIMUM NUMBER OF PRESTRESSING STRANDS FOR EACH GIRDER SHALL BE AS SHOWN IN POST-TENSIONING TABLE.
- THE DESIGN IS BASED ON 7/8 INCH DIAMETER LOW RELAXATION STRANDS WITH A JACKING LOAD FOR EACH GIRDER AS SHOWN IN POST-TENSIONING TABLE. AN ANCHOR SET OF 3/8 INCH OF CURVATURE FRICTION COEFFICIENT, $\mu = 0.0010$ AND A MOBILE FRICTION COEFFICIENT, $k = 0.00010$. THE ACTUAL ANCHOR SET USED BY THE CONTRACTOR SHALL BE SPECIFIED IN THE SHOP PLANS AND INCLUDED IN THE TENDON FORCE CALCULATIONS.
- THE DESIGN IS BASED ON THE ESTIMATED PRESTRESS LOSS OF POST-TENSIONING STRANDS SHOWN IN POST-TENSIONING TABLE DUE TO STEEL RELAXATION, ELASTIC SHORTENING CREEP AND SHRINKAGE OF CONCRETE.
- THE CONTRACTOR SHALL SUBMIT THE STRESSING SEQUENCE AND ELONGATION CALCULATIONS TO THE ENGINEER FOR APPROVAL. ALL LOSSES DUE TO TENDON FRICTION AND HORIZONTAL CURVATURE MUST BE INCLUDED IN ELONGATION CALCULATIONS.
 - THE PRESTRESSING FORCE SHALL BE DISTRIBUTED WITH AN APPROXIMATELY EQUAL AMOUNT IN EACH WEB AND SHALL BE PLACED SYMMETRICALLY ABOUT THE CENTERLINE OF THE TUB.
 - NO MORE THAN ONE-HALF OF THE PRESTRESSING FORCE IN ANY WEB MAY BE STRESSED BEFORE AN EQUAL FORCE IS STRESSED IN THE ADJACENT WEB. AT NO TIME DURING STRESSING OPERATION WILL MORE THAN ONE-SIXTH OF THE TOTAL PRESTRESSING FORCE BE APPLIED ECCENTRICALLY ABOUT THE CENTERLINE OF BRIDGE.
- THE MAXIMUM OUTSIDE DIAMETER OF THE DUCT SHALL BE 7/8 INCHES. THE AREA OF THE DUCT SHALL BE AT LEAST 2.5 TIMES THE NET AREA OF THE PRESTRESSING STEEL IN THE DUCT.
- ALL TENDONS SHALL BE STRESSED FROM PIER #1.

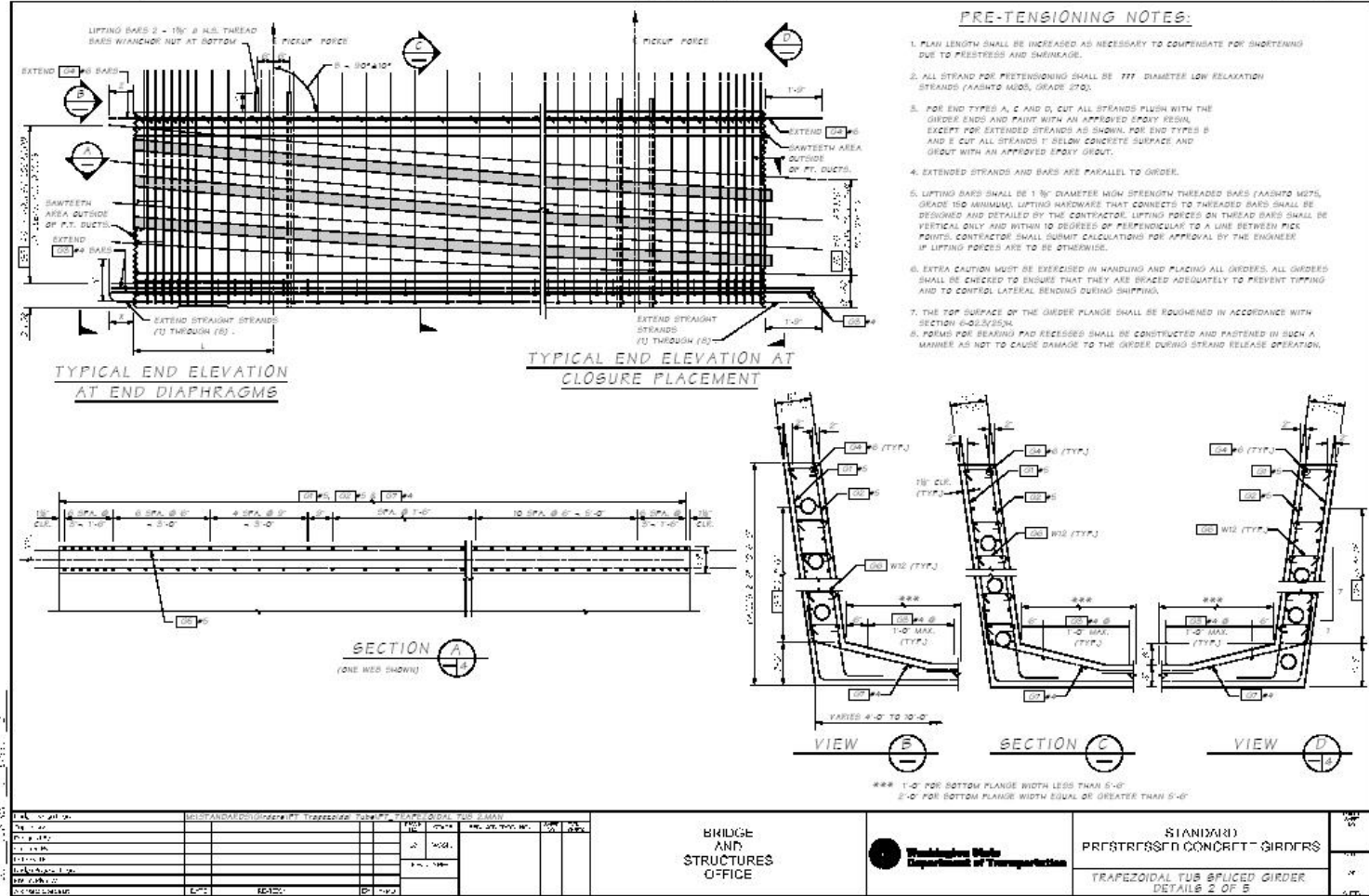
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NO.	DESCRIPTION	QUANTITY	UNIT	AMOUNT
1	CONCRETE		CU YD	
2	STEEL		TONS	
3	FORMWORK		SQ YD	
4	REINFORCEMENT		TONS	
5	POST-TENSIONING		TONS	
6	CASTING		TONS	
7	FINISHING		TONS	
8	PAINTING		TONS	
9	INSTALLATION		TONS	
10	REMOVAL		TONS	
11	TESTING		TONS	
12	MAINTENANCE		TONS	
13	DEMOLITION		TONS	
14	REPAIR		TONS	
15	REPLACEMENT		TONS	
16	RECONSTRUCTION		TONS	
17	RENOVATION		TONS	
18	RESTORATION		TONS	
19	REPAIR AND MAINTENANCE		TONS	
20	REPAIR AND MAINTENANCE		TONS	
21	REPAIR AND MAINTENANCE		TONS	
22	REPAIR AND MAINTENANCE		TONS	
23	REPAIR AND MAINTENANCE		TONS	
24	REPAIR AND MAINTENANCE		TONS	
25	REPAIR AND MAINTENANCE		TONS	

BRIDGE AND STRUCTURES OFFICE

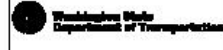


STANDARD PRESTRESSING CONCRETE GIRDERS
TRAPEZOIDAL TUB SPLICED GIRDER
DETAILS 1 OF 5

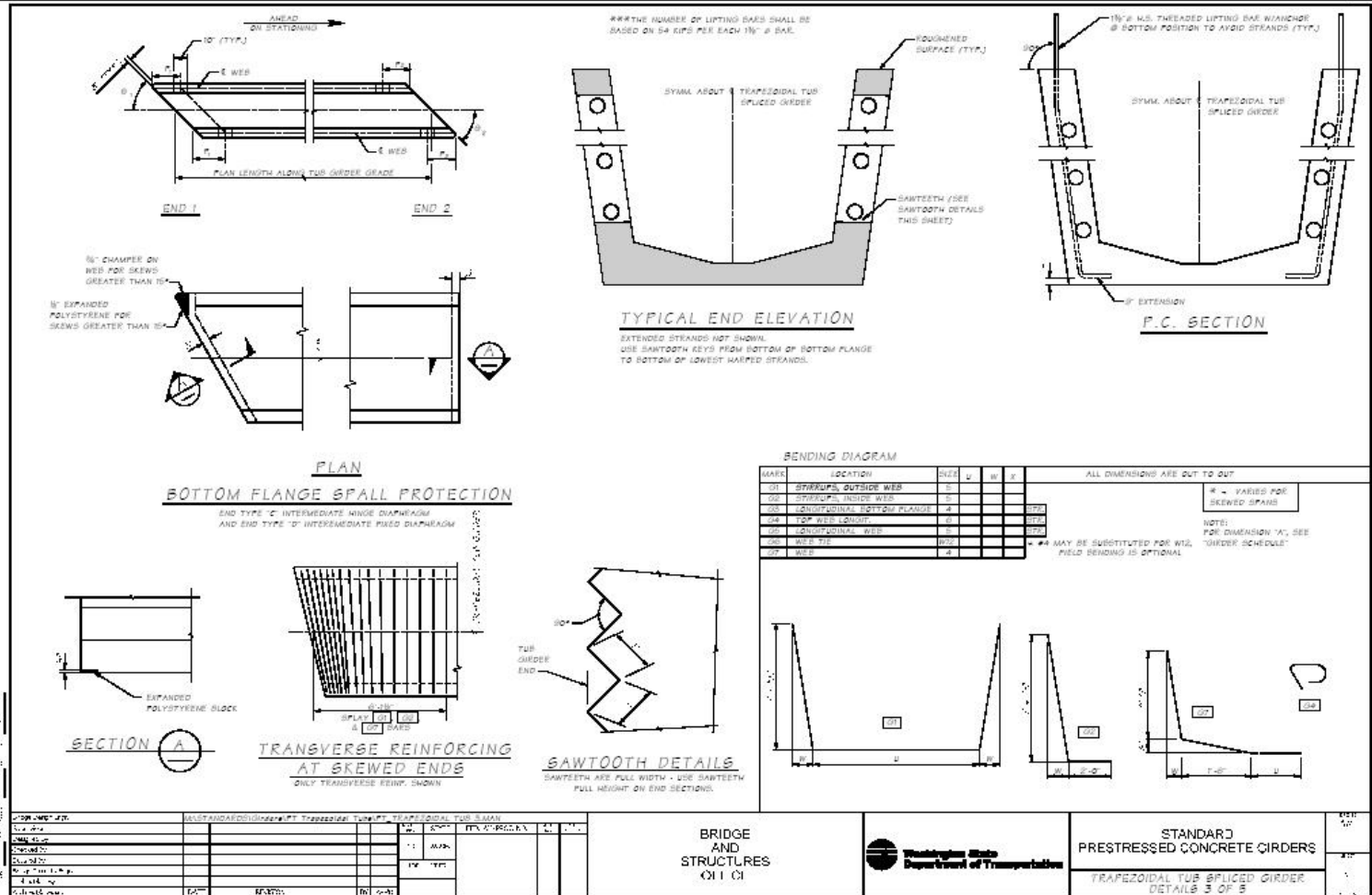


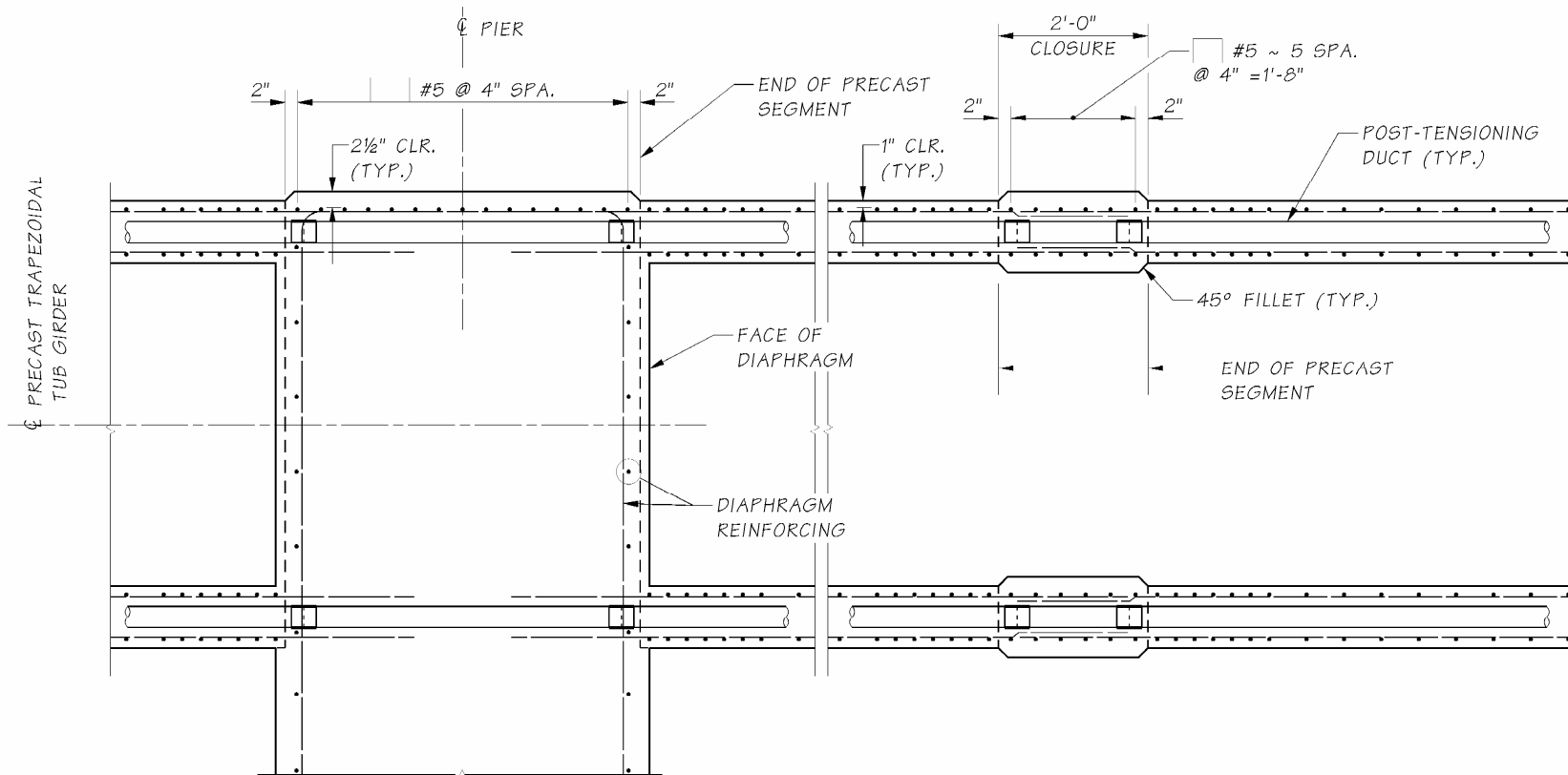
NO.	DATE	BY	CHECKED	DESCRIPTION
1				ISSUED FOR CONSTRUCTION
2				REVISION
3				REVISION
4				REVISION
5				REVISION
6				REVISION
7				REVISION
8				REVISION
9				REVISION
10				REVISION

BRIDGE AND STRUCTURES OFFICE



STANDARD PRESTRESSED CONCRETE GIRDERS
TRAPEZOIDAL TUB SPICED GIRDER
DETAILS 2 OF 5





Thickened closure pour

Appendix D – Typical Span Capability Chart

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 April 2005

Girder Type	Girder Spacing (ft)	Span Length (ft)	End Segments No. of Straight Strands	Middle Segment No. of Straight Strands	Spliced Post-Tensioned Girder								
					PT Ducts ~ Strands/Duct (Duct # @ Bottom)				Jacking Force* (kips)	Tendon Force after Seating* (kips)	Tendon Loss* (kips)	E1 (in)	E3 (in)
					1	2	3	4					
U54PTG4	8	135	4	6	-	-	11	22	2904	2636	570	20.0	8.9
	14	150	4	14	-	2	22	22	4048	3708	760	31.5	10.1
U54PTG5	9	135	4	8	-	-	12	22	2992	2764	578	19.7	9.0
	15	150	4	14	-	6	22	22	4400	4032	826	29.8	10.9
U54PTG6	10	135	4	6	-	-	18	22	3520	3200	684	18.3	9.5
	16	145	4	14	-	8	22	22	4576	4196	852	29.0	11.2
U66PTG4	8	155	4	8	-	-	15	22	3256	2944	648	18.9	9.3
	14	170	4	16	-	7	22	22	4488	4088	864	29.4	11.0
U66PTG5	9	155	4	8	-	-	17	22	3432	3110	678	18.5	9.4
	15	170	4	16	-	10	22	22	4752	4334	910	29.3	11.3
U66PTG6	10	155	4	8	-	-	21	22	3784	3434	742	17.7	9.7
	16	165	4	14	-	12	22	22	4928	4500	940	27.7	11.7
U78PTG4	8	175	4	10	-	-	19	22	3608	3262	722	18.1	9.6
	16	190	4	20	-	15	22	22	5192	4718	1014	26.8	12.1
U78PTG5	9	180	4	10	-	2	22	22	4048	3692	776	31.5	10.1
	17	195	4	22	-	21	22	22	5720	5202	1110	25.2	12.6
U78PTG6	10	180	4	10	-	6	22	22	4400	4018	840	29.8	10.9
	18	190 [#]	4	20	2	22	22	22	5896	5400	1104	39.5	12.9

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Span Capability of Post-Tensioned Trapezoidal Tub Girders Without Top Flange
 Table 5.6-A8.2